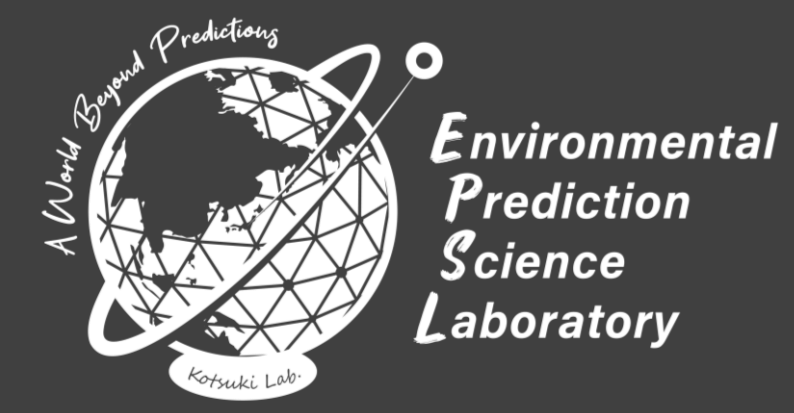
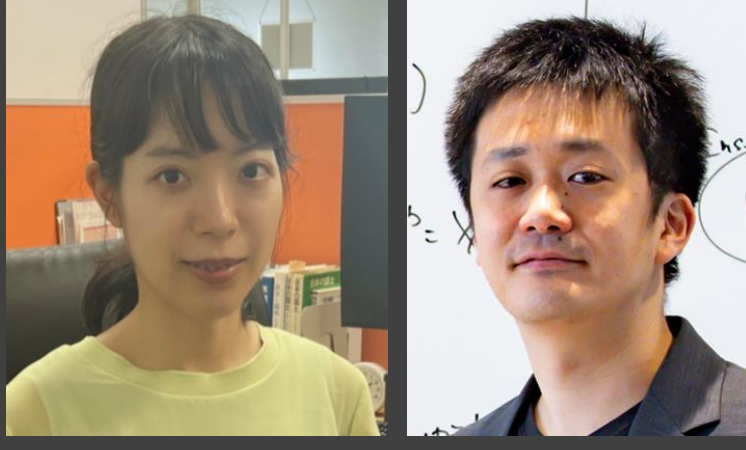


Climatologically augmented local ensemble transform Kalman filter for estimating global precipitation from gauge observations



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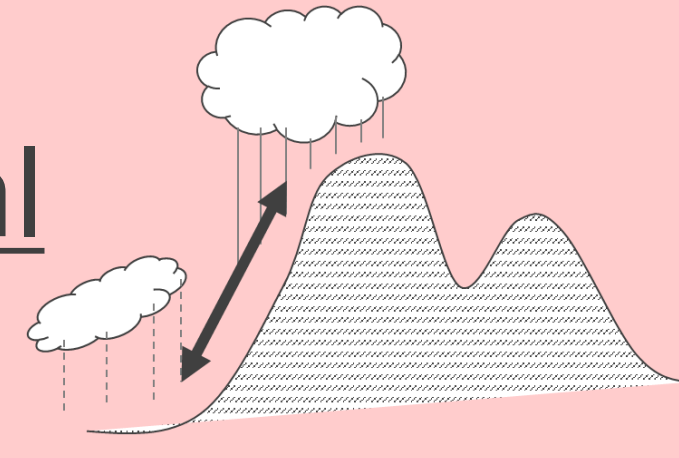
Summary

- This study proposes a method to estimate the global precipitation field with the use of the Local Ensemble Transform Kalman Filter (LETKF).
- We constructed a hybrid background error covariance (flow-dependent/climatological).
- Our estimates outperformed the estimates based on Optimal Interpolation (OI).

Introduction

Aim: To improve the method to estimate the historical global precipitation fields from rain gauge observations

■ Background error covariance based on numerical weather predictions
 → Able to consider the mechanical relationship between 2 grids



■ Hybrid approach
 □ Flow-dependent
 □ Climatological

Data assimilation
 ↓
 Global precipitation fields

Rain gauge observations

Method and Experiments

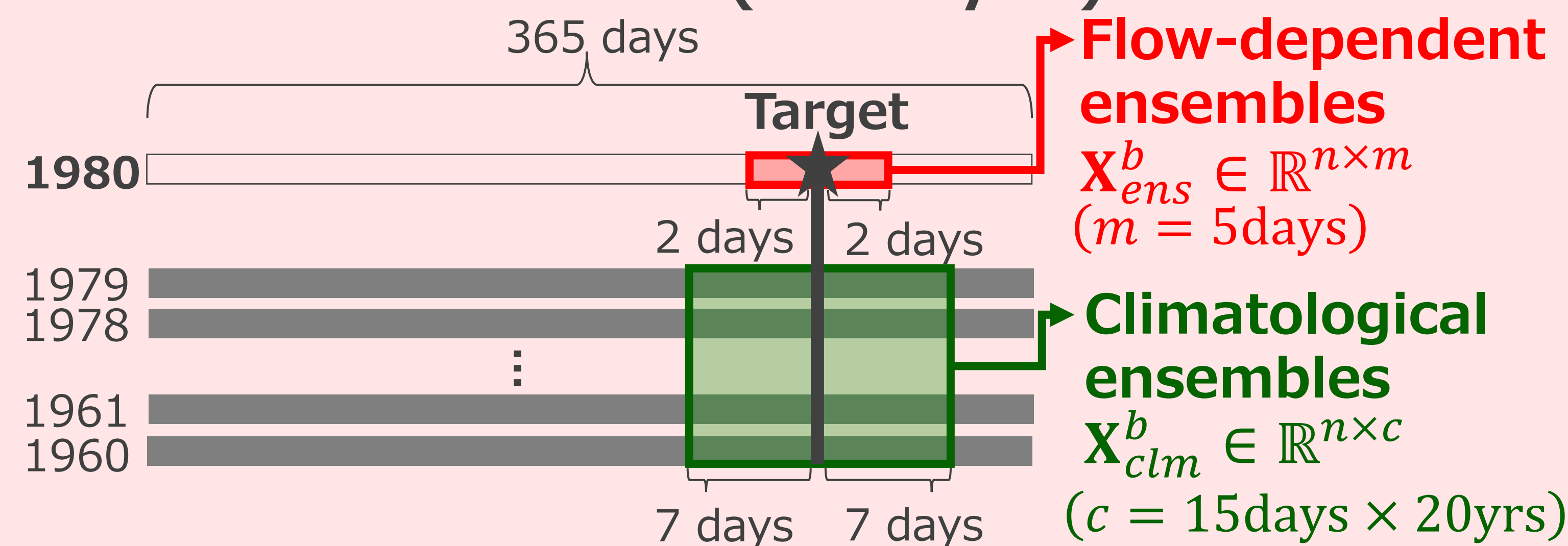
Estimation using the LETKF

$$\mathbf{x}_t^a = \mathbf{x}_t^b + \mathbf{K}_t (\mathbf{y}_t^o - H_t(\mathbf{x}_t^b))$$

Estimates

Daily gauge observations from Climate Prediction Center (CPC)

Calculated from ERA5 (reanalysis)



■ Hybrid background error covariance

$$\mathbf{P}^b = \alpha \mathbf{P}_{ens}^b + (1 - \alpha) \mathbf{P}_{clm}^b \Leftrightarrow \mathbf{Z}^b = \left[\frac{\sqrt{\alpha} \delta \mathbf{X}_{ens}^b}{\sqrt{m-1}}, \frac{\sqrt{1-\alpha} \delta \mathbf{X}_{clm}^b}{\sqrt{c-1}} \right]$$

■ Background $\bar{\mathbf{x}}_{clm}^b \in \mathbb{R}^n$

Experimental settings

■ Observation error covariance

$$\square \text{ error variance} = \begin{cases} \log(2) & (obs \leq 1.0 \text{ mm})^* \\ \log(obs + 1) & (obs > 1.0 \text{ mm}) \end{cases}$$

■ Localization

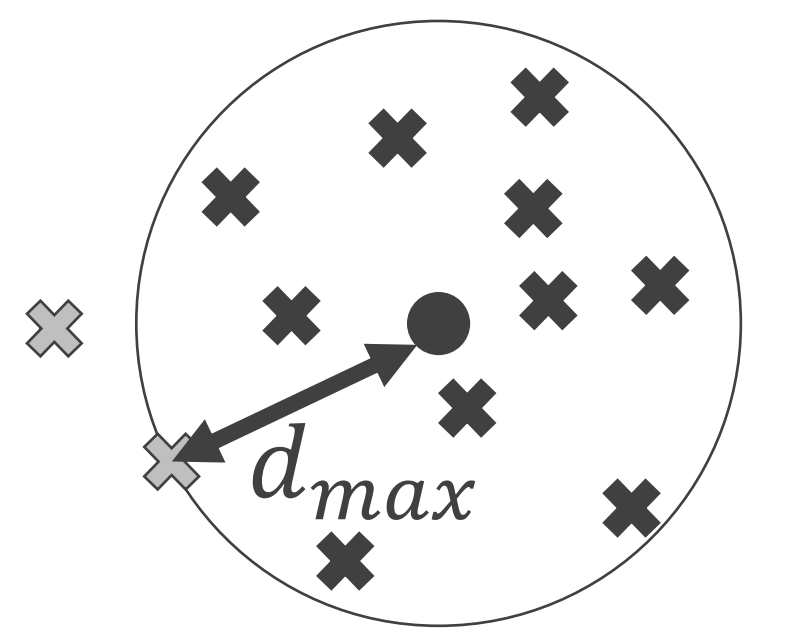
□ Observation Number Limit

- $d_{max} \leq 1,000 \text{ km}^{**}$

- Num. of the obs. $\leq 10^{**}$

**Determined by sensitivity analysis

■ Hybrid parameter $\alpha = 0.0, 0.1, 0.2, 0.3$

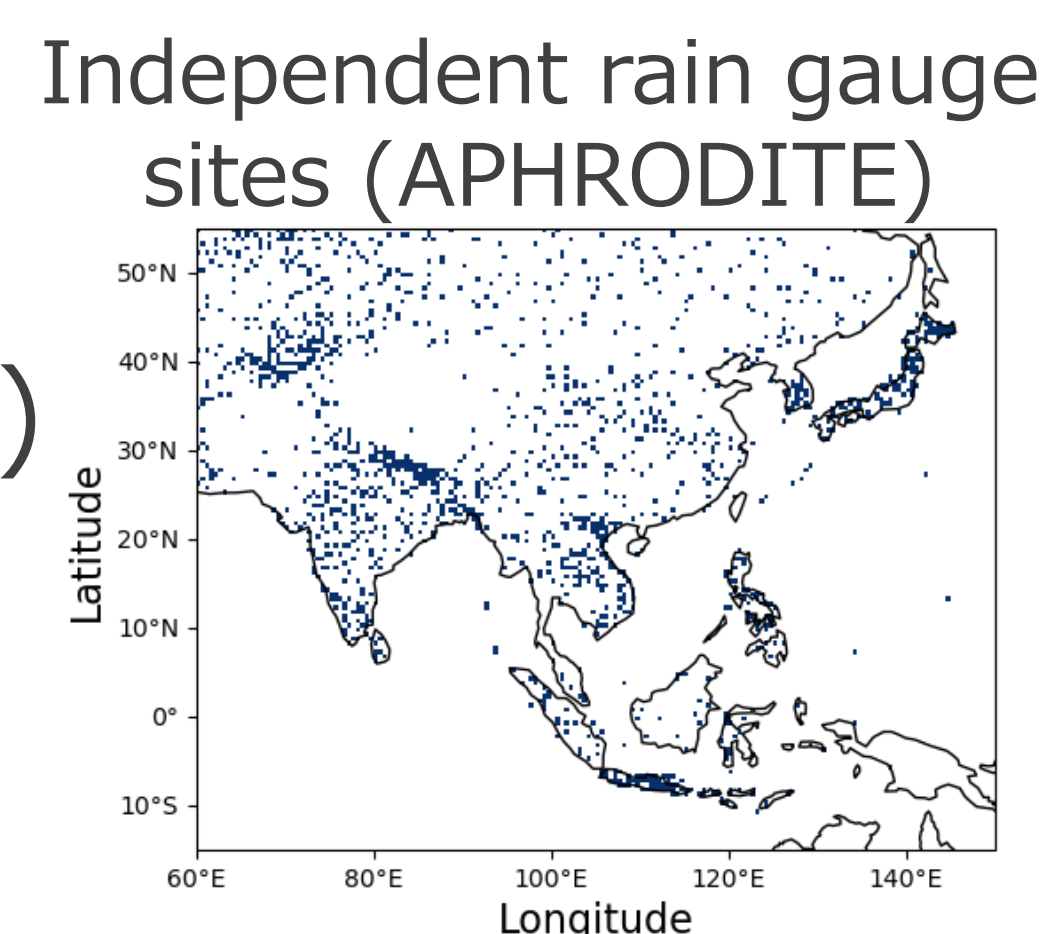


Validation

■ Against independent daily rain gauge observations (APHRODITE)

□ Kendall's Rank correlation coefficient τ_b

■ Against Global Precipitation Climatology Centre (GPCC) monthly precipitation



Results

Example of a daily precipitation field ($\alpha = 0.1$)

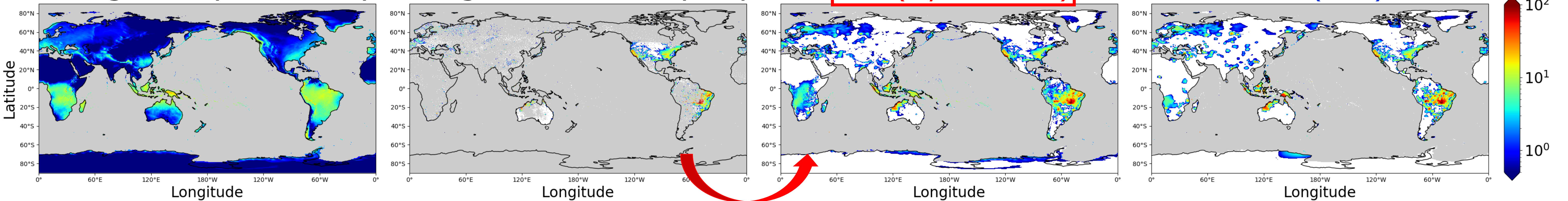
Background (from ERA5)

Gauge observations (CPC)

This study
 Est. (Hyb.-LETKF)

Estimates based on OI
 Est. (CPC)

Pr.
 (mm day⁻¹)



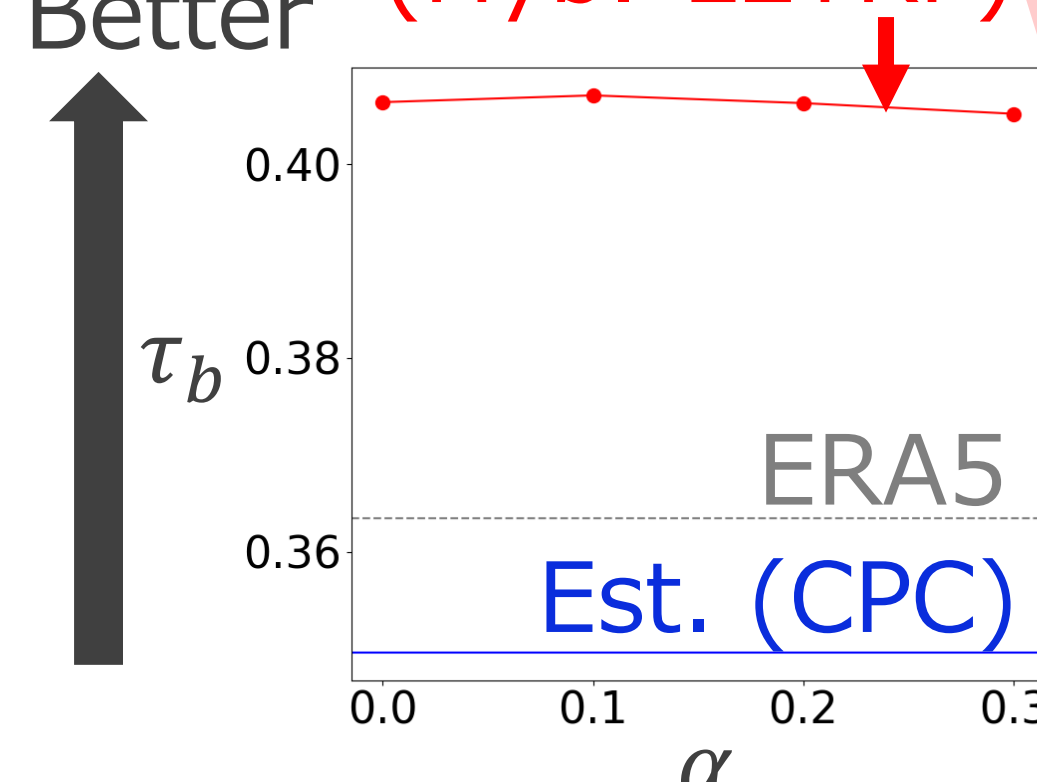
Successfully estimated by the hybrid-LETKF

Validation

■ Against APHRODITE

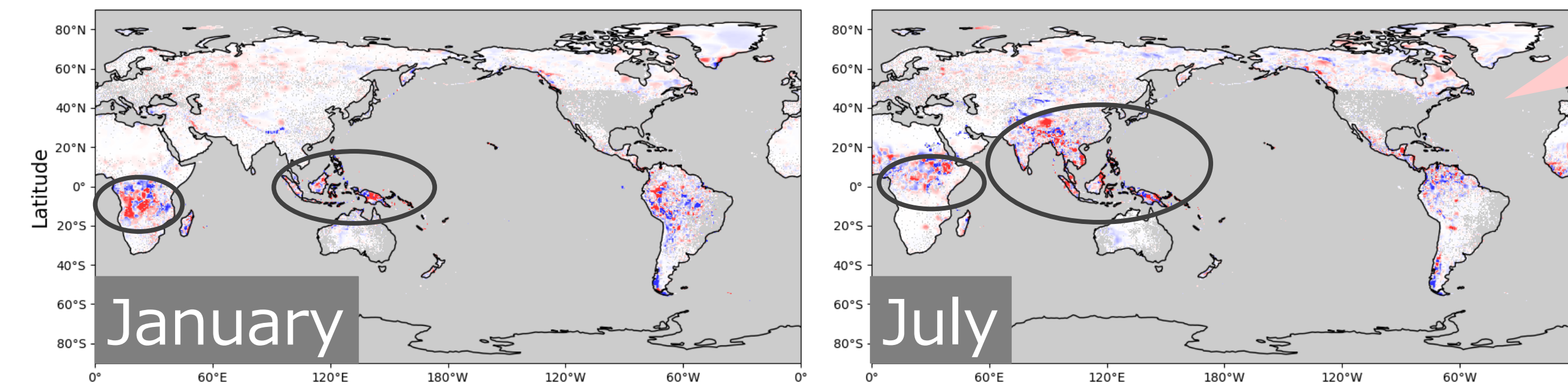
Better
 ↑
 Est. (Hyb.-LETKF)

Better than existing products!
 (The value of α is not influential.)



■ Against GPCC ($\alpha = 0.1$)

Abs(GPCC-Est.(CPC)) - Abs(GPCC-Est.(Hyb.-LETKF))



Est. (Hyb.-LETKF) is especially better in gauge-sparse regions

	RMSE (mm mon ⁻¹)
Est. (CPC)	43.21
Est. (Hyb.-LETKF)	40.93

Improved!